## ncca $=$ Primary Mathematics Curriculum

## Patterns, rules and relationships

| Stage 1 | Stage 2 | Stage 3 |
| :---: | :---: | :---: | :---: |
| (Junior \& Senior Infants) | (1st \& 2nd Class) | Stage 4 |
| (3rd \& 4th Class) | (5th \& 6th Class) |  |

Through appropriately playful and engaging learning experiences, children should be able to

| Learning Outcomes | explore, extend and create patterns and sequences. | identify and express relationships in patterns, including growing or shrinking shape patterns and number sequences. | identify rules that describe the structure of a pattern and use these rules to make predictions. represent the relationships between quantities. | identify, explain and apply generalisations, including properties of operations, mathematical models and patterns. <br> represent mathematical structures in multiple ways, including verbal expressions, diagrams and symbolic representations. |
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| Mathematical concepts | A pattern is an arrangement of elements organised according to a defined structure or rule. | Quantitative change in growing and shrinking patterns is consistent and predictable. | Representations can be used to show and explore the relationships between quantities. | The structure of a pattern, or the property of operations, can be described succinctly by a mathematical expression, for example, the commutative property: $\mathrm{a}+\mathrm{b}=\mathrm{b}+\mathrm{a}$. |
|  | A sequence is a list of objects or actions that follow an order. | We can describe the structure of a growing or shrinking pattern, in word or number sentences, and use our description to predict future terms. | Representing scenarios, including patterns, in words, number sentences, diagrams and graphs can be useful to solve problems or to determine values for unknown or future events. | Describing a real-life situation using words or symbols can be useful to solve problems or to determine values for unknown or future events. |
|  | There are patterns and sequences to everyday routines and events, from which predictions can be made. | When exploring the structure of growing or shrinking patterns, it is useful to determine what is changing and what is staying the same. | A geometric sequence of numbers is based upon multiplication or division. Each consecutive number is found by multiplying the preceding number by a common multiplier. | An integer is a whole number that can be positive, negative, or zero. |
|  | Repeating patterns are made up of units of repeat and do not contain random elements. | The commutative property of addition means we can swap the order of the numbers being added and still get the same total. | The associative property states that when three or more numbers are added or multiplied, the sum or product remains the same regardless of how the numbers are grouped. | Whole numbers can be expressed in standard form, exponential form or be written as a product of factors. |
|  | The zero property of addition and subtraction means that when you add zero to or subtract zero from a number it does not change the number. | Properties of operations (e.g., zero, commutative) and patterns in numbers can be used to determine number facts we don't know from number facts we do know. Examples include doubles \& near-doubles, inverses, adding 10, odd and even numbers. | The distributive property means that complex multiplication and division equations can be simplified by breaking one (in the case of the dividend) or both numbers down into smaller parts. | A square number is what we get after multiplying an integer by itself. The square root of a number identifies what must be squared to get the number. |
|  |  | Number patterns tell the story of relationships between quantities. The relationship between elements of a pattern can be expressed using word or number sentences. |  |  |

